

Aim: How do we perform partial fraction decomposition? (Day 2)**I. Do Now:**

Find the partial fraction decomposition.

Then check your answer by graphing:

 Y_1 = the given fraction Y_2 = the partial fraction decomposition

How will the graphs confirm whether your answer is correct?

1.
$$\frac{2x-17}{x^2-11x+28}$$

Recall:

- (1) Divide if $D_N \geq D_D$.
- (2) Factor denominator completely (over set of real numbers).
- (3) Linear denominators have constant numerators
- (4) Quadratic denominators have linear numerators.
- (5) Repeated factors will be covered in tomorrow's lesson.

Two methods:

1. "Friendly" Values
2. System of Equations

II. More Practice: Find each partial fraction decomposition.

2.
$$\frac{3x^2-4x-46}{x^2-x-20}$$

3.
$$\frac{3x^2+7x-2}{x^3-x}$$

4.
$$\frac{3x^2-x-1}{x^3+x^2+2x+2}$$

5.
$$\frac{7x^2-82x+279}{(x+5)(x-3)(x-7)}$$

HW42

• p. 500: 57

• p. 158: 51 [but change denominator to $(x+1)$]• Decompose: (a)
$$\frac{3}{x^2+x-2}$$
(b)
$$\frac{x^2+5}{(x+1)(x^2-2x+3)}$$
(c)
$$\frac{x^2-x}{x^2+x+1}$$