1. Sand pouring from a chute forms a conical pile whose height is always equal to the diameter. If the height increases at a constant rate of 5 feet per minute, at what rate is sand pouring from the chute when the pile is 10 feet high?
2. A conical water tank with vertex down has a radius of 10 feet at the top and is 24 feet high. If water flows into the tank at a rate of 20 cubic feet per minute, how fast is the depth of the water increasing when the water is 16 feet deep?
3. A 10 -foot plank is leaning against a wall. If at a certain instant the bottom of the plank is 2 feet from the wall and is being pushed toward the wall at a rate of 6 inches per second, how fast is the acute angle that the plank makes with the ground increasing?
4. Ship $A$ is traveling due west toward Lighthouse Rock at a speed of 15 kilometers per hour ( $\mathrm{km} / \mathrm{hr}$ ). Ship $B$ is traveling due north away from Lighthouse Rock at a speed of 10 $\mathrm{km} / \mathrm{hr}$. Let $x$ be the distance between Ship $A$ and Lighthouse Rock at time $t$, and let $y$ be the distance between Ship $B$ and Lighthouse Rock at time $t$, as shown in the figure above.
(a) Find the distance, in kilometers, between Ship $A$ and
 Ship $B$ when $x=4 \mathrm{~km}$ and $y=3 \mathrm{~km}$.
(b) Find the rate of change, in $\mathrm{km} / \mathrm{hr}$, of the distance between the two ships when $x=4 \mathrm{~km}$ and $y=3 \mathrm{~km}$.
(c) Let $\theta$ be the angle shown in the figure. Find the rate of change of $\theta$, in radians per hour, when $x=4 \mathrm{~km}$ and $y=3 \mathrm{~km}$.
